

Article title: The Projection of Iran's Healthcare Expenditures By 2030: Evidence of a Time-Series Analysis

Journal name: International Journal of Health Policy and Management (IJHPM)

Authors' information: Nader Jahanmehr¹, Mohammad Noferesti², Soheila Damiri^{3*}, Zhaleh Abdi⁴, Reza Goudarzi⁵

¹Health Economics, Management and Policy Department, Virtual School of Medical Education & Management, Shahid Beheshti University of Medical Sciences. Tehran. Iran.

²Department of Economics, School of Economics and Political Sciences, Shahid Beheshti University, Tehran, Iran.

³Department of Health Management & Economics, School of Public Health, Tehran University of Medical Sciences, Tehran, Iran.

⁴National Institute of Health Research, Tehran University of Medical Sciences, Tehran, Iran.

⁵Health Services Management Research Center, Institute for Futures Studies in Health, Kerman University of Medical Sciences, Kerman, Iran.

(*Corresponding author: damiri.soheila@gmail.com)

Supplementary file 3. Details of Econometric Models

All characteristics of the final models that have been specified and included in the final macro-structural econometric model.

Table S3: ARDL nodel for GDP (Gross Domestic Product)

Dependent Variable	Gross Domestic Product(GDP)			
Type of regression equation	ARDL(1, 0, 1) $\text{LOG}(\text{GDP}) = -1.357864 + 0.486*\text{LOG}(\text{GDP}(-1)) + 0.293*\text{LOG}(\text{L}) + 2.639*\text{LOG}(\text{K})$			
dynamic equation	$(0.416)^1$ (0.057) (0.040) (0.319) $+ 2.40*\text{LOG}(\text{K}(-1)) + 0.164*\text{D}4753 - 0.147*\text{D}5960$ (0.288) (0.023) (0.031)			
R- squared	0.994			

¹ These numbers indicate the standard deviation of the estimated coefficients.

Banerjee, Dolado, and Master test	Banerjee St= $(0.86-1)/(0.057) = - 9.01$		
	Critical St = -3.91	Result: The existence of a long-run relationship is confirmed	
long run equation	$GDP = -2.645 + 0.572*\text{LOG}(L) + 0.462*\text{LOG}(K) + 0.320*D4753 - 0.288*D5960$		
	(0.847)	(0.078)	(0.034)
		(0.038)	(0.068)
Short run equation	$D\text{LOG}(GDP) = 0.293*D\text{LOG}(L) + 2.639*D\text{LOG}(K) + 0.164*D(D4753) - 0.147*D(D5960)$		
	(0.040)	(0.319)	(0.023)
			(0.031)
	$- 0.513*\text{CointEQ}$		
	(0.057)		

Table S4: ARDL model for Total labour force

Dependent Variable	Total labour force						
Type of regression equation	ARDL(1, 1, 0)						
dynamic equation	$\text{LOG}(L) = 0.177 + 0.449*\text{LOG}(L(-1)) + 0.044*\text{LOG}(W/\text{CPI}) - 0.035*\text{LOG}(W(-1)/\text{CPI}(-1)) +$ $(0.104) \quad (0.066) \quad (0.013) \quad (0.012)$ $+ 0.536*\text{LOG}(F)$ (0.065)						
R-squared	0.999						
Banerjee, Dolado, and Master test	Banerjee St= $((0.449)-1)/(0.066) = - 8.34$						
	Critical St = -3.91	Result: The existence of a long-run relationship is confirmed					
long run equation	$\text{LOG}(L) = 0.323 + 0.015*\text{LOG}(W/\text{CPI}) + 0.974*\text{LOG}(F)$ $(0.191) \quad (0.005) \quad (0.011)$						
Short run equation	$D\text{LOG}(L) = 0.044*D\text{LOG}(W/\text{CPI}) + 0.536*D\text{LOG}(F) - 0.716*\text{CointEQ}(-1)$ $(0.013) \quad (0.065) \quad (0.066)$						

Table S5: ARDL model for Active population

Dependent Variable	Active population						
Type of regression equation	ARDL(1, 0)						
dynamic equation	$\text{LOG}(F) = 0.875 + 0.733*\text{LOG}(F(-1)) + 0.208*\text{LOG}(POP2060) - 0.043*D9093 + 0.050*D9495$ $(0.279) \quad (0.077) \quad (0.059) \quad (0.007)$						
R-squared	0.999						
Banerjee, Dolado, and Master test	Banerjee St= $((0.083)-1)/(0.021) = - 3.46$						
	Critical St = - 3.28	Result: The existence of a long-run relationship is confirmed					
long run equation	$\text{LOG}(F) = 3.288 + 0.783*\text{LOG}(POP2060) - 0.162*D9093$ $(0.267) \quad (0.016) \quad (0.042)$						
Short run equation	$D\text{LOG}(F) = 0.208*D\text{LOG}(POP2060) - 0.043*D(D9093) - 0.266*\text{CointEQ}$ $(0.059) \quad (0.007) \quad (0.077)$						

Table S6: OLS model for Consumer Price Index

Dependent Variable	Consumer Price Index
Type of regression equation	OLS
dynamic equation	$CPI = 0.274935613587*P + 0.850610900925*CPI(-1) + 0.39346369618*D9192$
R-squared	0.999

Table S7: ARDL model for Total investment

Dependent Variable	Total investment
Type of regression equation	ARDL(1, 0, 0)
dynamic equation	$I = -24600.14 + 0.272*I(-1) + 0.298*GDP - 5531.063*R - 56700.71*D4753 - 87779.76*D9194$ (11708.38) (0.083) (0.034) (1511.55) (15476.3) (15476.3)
R-squared	0.973
Banerjee, Dolado, and Master test	Banerjee St= ((0.272)-1)/(0.083) = - 8.77 Critical St = - 3.57 Result: The existence of a long-run relationship is confirmed
long run equation	$I = -33822.2 + 0.409*GDP - 7604.53*R - 77956.59*D4753 - 120686.5*D9194$ (16202.8) (0.019) (1890.7) (18050.6) $D(I) = 0.298*D(GDP) - 5531.06*D(R) - 56700.7*D(D4753) - 87779.76*D(D9194)$ (0.034) (1511.55) (15476.3) (18353.55)
Short run equation	0.727*CointEQ (0.083)

Capital accumulation of all sectors of the economy is specified as a definitional equation in the final model. The variables of this equation include total investment and the negative effect of the destruction of capital caused by the imposed Iraq war and Rudbar earthquake. The coefficients of this definitional equation are extracted from the reports of the Plan and Budget Organization and the Ministry of Economic Affairs and Finance. These coefficients have been used in other studies¹.

Table S8: Specified equation for Capital accumulation of all sectors of the economy

Dependent Variable	Capital accumulation of all sectors of the economy
Type of regression equation	OLS
dynamic equation	$k = 0.955 * k(-1) - 0.378527 * wd - 0.153215 * erd + i$
R-squared	

Table S9: ARDL model for Tax Revenue

Dependent Variable	Tax Revenue
Type of regression equation	ARDL(1, 1)
dynamic equation	$(TAXJ/P) = -85.858 + 0.651*(TAXJ(-1)/P(-1)) + 0.064*GDP - 0.043*D9495$ (3964.57) (0.117) (0.019) (8723.04)

R-squared	0.918		
Banerjee, Dolado, and Master test	Banerjee St= ((0.651)-1)/(0.117) = - 3.172		
long run equation	Critical St = - - 2.93	^2Result: The existence of a long-run relationship is confirmed	
	D(TAXJ/P) = -246.38 + 0.059*GDP + 99999.77*D9495 (0.125) (0.000) (7649.77) (5770.41)		
Short run equation	(TAXJ/P) = 0.064*D(GDP) + 34847.4*D(D9495) - 0.348* *CointEQ(-1) (0.018) (8723.04) (0.117)		

Table S10 ARDL nodel for Government Current Payments

Dependent Variable	Government expenditure			
Type of regression equation	ARDL(1, 0, 0)			
dynamic equation	(GEJ/P) = 14843.48 + 0.438*(GEJ(-1)/P(-1)) + 0.202*(XORJ/P) + 0.763*(TAXJ/P) - (5118.02) (0.063) (0.029) (0.082) 21683.07*D8992 (7153.19)			
R-squared	0.958			
Banerjee, Dolado, and Master test	Banerjee St= ((0.438)-1)/(0.063) = - 15.17 Critical St = - - 3.57 Result: The existence of a long-run relationship is confirmed			
long run equation	(GEJ/P) = 26443.5 + 0.361*(XORJ/P) + 1.360*(TAXJ/P) - 38628.17*D8992 (7887.8) (0.039) (0.104) (13747.7)			
Short run equation	D(GEJ/P) = 0.202*D(XORJ/P) + 0.763*(D(TAXJ/P) -21683.07*D(D8992) -0.561*CointEQ(-1) (0.029) (0.082) (7153.19) (0.063)			

Table S11: ARDL nodel for Total government expenditure

Dependent Variable	Total government expenditure			
Type of regression equation	ARDL(1, 1, 1)			
dynamic equation	(GEPJ/P) = 12032.7 + 0.545*(GEPJ(-1)/P(-1)) + 1.521*(TAXJ/P) -0.883*(TAXJ(-1)/P(-1)) (7675.9) (0.092) (0.215) (0.312) +0.811*(XORJ/P) - 0.315*(GRJ(-1)/P(-1)) + 66385*D85 + 719717.6*D87 (0.058) (0.110) (20266.3) (20449.8)			
R-squared	0.975			
Banerjee, Dolado, and Master test	Banerjee St= ((0.545)-1)/(0.092) = - 4.94 Critical St = - - 3.57 Result: The existence of a long-run relationship is confirmed			
long run equation	(GEPJ/P) = 26485.6 + 1.402*(TAXJ/P) + 1.092*(XORJ/P) + 146122.2*D85 + 158300*D87			

² $\alpha = 0.10$

	(16198)	(0.217)	(0.084)	(53312)	(52902.13)
D(GEPJ/P)	= 1.521*D(TAXJ/P) + 0.811*D(XORJ/P) + 66385*D(D85) + 71917.6*D(D87)				
	(0.215)	(0.058)	(20266.3)	(20449.83)	
Short run equation	- 0.454*CointEQ(-1)				
	(0.092)				

Table S12: ARDL model for Government Revenue

Dependent Variable	Government Revenue
Type of regression equation	ARDL(1, 2, 1)
dynamic equation	$(GRJ/P) = -2225.99 + 0.587*(GRJ(-1)/P(-1)) + 1.509*(TAXJ/P) - 1.018*(TAXJ(-1)/P(-1)) +$ $1.164*(TAXJ(-2)/P(-2)) + 0.987*(XORJ/P) - 0.596*(GRJ(-1)/P(-1)) - 10389.64*D7982$
R- squared	0.994
Banerjee, Dolado, and Master test	<p>Banerjee St= $((0.587)-1)/(0.123) = -3.35$</p> <p>Critical St = - -3.20 ³ Result: The existence of a long-run relationship is confirmed</p>
long run equation	$(GRJ/P) = -5395 + 1.587*(TAXJ/P) + 0.948*(XORJ/P) - 25180.73*D7982$
Short run equation	$D(GRJ/P) = 1.509*D(TAXJ/P) - 0.164*(TAXJ(-1)/P(-1)) + 0.987*D(XORJ/P) -$ $10389.6*D(D7982) - 0.412*CointEQ(-1)$

Table S13: ARDL model for GDP deflator

Dependent Variable	GDP deflator			
Type of regression equation	ARDL(1, 0, 1)			
dynamic equation	$\text{LOG(P)} = 0.841 + 0.826*\text{LOG(P(-1))} + 1.016*\text{LOG(M2J)} - 0.84*\text{LOG(M2J(-1))} -$ (0.645) (0.042) (0.171) (0.157) $0.436*\text{LOG(GDP)} + 0.464*\text{LOG(GDP(-1))} - 0.256*\text{LOG(GDP(-2))} - 0.258*\text{D9495}$ (0.145) (0.234) (0.158) (0.053)			
R- squared	0.999			
Banerjee, Dolado, and Master test	Banerjee St= $((0.826)-1)/(0.042) = -4.14$ Critical St = -3.57 Result: The existence of a long-run relationship is confirmed			

³ $\alpha = 0.10$

long run equation	$\text{LOG}(P) = 4.842 + 1.006*\text{LOG}(M2J) - 1.31*\text{LOG}(GDP) - 1.486*D9495$			
	(3.416)	(0.038)	(0.279)	(0.443)
$\text{DLOG}(P) = 1.016*\text{DLOG}(M2J) - 0.436*\text{DLOG}(GDP) + 0.256*\text{DLOG}(GDP(-1)) -$				
	(0.171)	(0.145)	(0.158)	
Short run equation	$0.258*D(D9495) - 0.173*\text{CointEQ}(-1)$			
	(0.053)	(0.042)		

Table S14: ARDL model for Healthcare Consumer Price Index

Dependent Variable	Healthcare Consumer Price Index			
Type of regression equation	ARDL(1, 1, 1)			
	$\text{LOG}(\text{HCPI}) = 0.077 + 0.89*\text{LOG}(\text{HCPI}(-1)) + 0.73*\text{LOG}(M2J) - 0.626*\text{LOG}(M2J(-1))$			
dynamic equation	(0.66)	(0.03)	(0.181)	(0.176)
	$-0.395*\text{LOG}(GDP) + 0.293*\text{LOG}(GDP(-1))$			
	(0.145)	(0.155)		
R-squared	0.999			
Banerjee, Dolado, and Master test	Banerjee St= $((0.896)-1)/(0.03) = - 3.66$			
	Critical St = -3.57			
	Result: The existence of a long-run relationship is confirmed			
long run equation	$\text{LOG}(\text{HCPI}) = 0.756 + 1.01*\text{LOG}(M2J) - 0.987*\text{LOG}(GDP)$			
	(0.137)	(0.036)	(0.074)	
Short run equation	$\text{DLOG}(\text{HCPI}) = 0.730*\text{DLOG}(M2J) - 0.395*\text{DLOG}(GDP) - 0.103*\text{CointEQ}(-1)$			
	(0.181)	(0.145)	(0.038)	

Table S15: ARDL model for Liquidity

Dependent Variable	Liquidity			
Type of regression equation	ARDL(1, 0, 1)			
	$\text{LOG}(M2J) = -0.075 + 0.903*\text{LOG}(M2J(-1)) + 0.03*\text{LOG}(XOG) + 0.26*\text{LOG}(GEJ(-1))$			
dynamic equation	(0.047)	(0.021)	(0.045)	(0.051)
	$-0.156*\text{LOG}(GEJ(-1)) + 0.1*D58 - 0.069*D8790$			
	(0.048)	(0.025)		
R-squared	0.999			
Banerjee, Dolado, and Master test	Banerjee St= $((0.903)-1)/(0.021) = - 4.61$			
	Critical St = -3.57			
	Result: The existence of a long-run relationship is confirmed			
long run equation	$\text{LOG}(M2J) = -0.786 + 0.319*\text{LOG}(XOG) + 1.081*\text{LOG}(GEJ) + 1.049*D85 - 0.720*D8790$			
	(0.535)	(0.112)	(0.041)	(0.571)
	(0.306)			
Short run equation	$\text{DLOG}(M2J) = 0.03*\text{DLOG}(XOG) + 0.260*\text{DLOG}(GEJ) + 0.109*D(D85) - 0.069*D(D8790) -$			
	(0.007)	(0.045)	(0.048)	(0.025)

	0.096* CointEQ(-1) (0.021)
--	-------------------------------

Table S16: ARDL nodel for Out of Pocket Health Expenditure

Dependent Variable	Out of Pocket Health Expenditure			
Type of regression equation	ARDL(1, 1, 2, 0, 2)			
dynamic equation	$\text{LOG(OHEXJ/HCPI)} = 2.628 + 0.129 \cdot \text{LOG(OHEXJ(-1)/HCPI(-1))} + 1.222 \cdot \text{LOG(GDP-(TAXJ/P))}$ (0.935) (0.139) (0.405) $+ 0.732 \cdot \text{LOG(GDP(-1)-(TAXJ(-1)/P(-1)))} - 1.311 \cdot \text{HCPI0} - 0.029 \cdot \text{HCPI0(-1)} - 0.928 \cdot \text{HCPI0(-2)}$ (0.407) (0.246) (0.151) (0.167) $- 0.354 \cdot \text{LOG(PUBHEXJ/HCPI)} - 0.471 \cdot \text{LOG(ICOV)} - 0.186 \cdot \text{LOG(ICOV(-1))} +$ (0.092) (0.142) (0.159) $0.189 \cdot \text{LOG(ICOV(-2))} + 0.288 \cdot \text{D73} - 0.166 \cdot \text{D82}$ (0.125) (0.068) (0.054)			
R- squared	0.983			
Banerjee, Dolado, and Master test	Banerjee St= ((0.129)-1)/(0.139) = -6.26 Critical St = -4.18 Result: The existence of a long-run relationship is confirmed			
long run equation	$\text{LOG(OHEXJ/HCPI)} = 3.02 + 2.247 \cdot \text{LOG(GDP-(TAXJ/P))} - 2.608 \cdot \text{HCPI0} -$ (1.135) (0.212) (0.375) $0.407 \cdot (\text{PUBHEXJ/HCPI}) - 0.538 \cdot \text{LOG(ICOV)} + 0.331 \cdot \text{D73} - 0.191 \cdot \text{D82}$ (0.115) (0.083) (0.094) (0.068)			
Short run equation	$\text{DLOG(OHEXJ/HCPI)} = 1.22 \cdot \text{DLOG(GDP-(TAXJ/P))} - 1.311 \cdot \text{D(HCPI0)} + 0.928 \cdot \text{D(HCPI0(-1))}$ (0.405) (0.246) (0.167) $- 0.354 \cdot \text{DLOG(PUBHEXJ/HCPI)} - 0.471 \cdot \text{DLOG(ICOV)} - 0.189 \cdot \text{DLOG(ICOV(-1))} +$ (0.092) (0.142) (0.125) $0.288 \cdot \text{D(D73)} - 0.166 \cdot \text{D(D82)} - 0.87 \cdot \text{Coint}$ $\text{EQ}(-1)$ (0.068) (0.054) (0.139)			

Table S17: ARDL nodel for Public Health Insurance Coverage

Dependent Variable	Public Health Insurance Coverage				
Type of regression equation	ARDL(1, 0, 2)				
dynamic equation	$\text{ICOV} = -(1.38E+08) + 0.418 \cdot \text{ICOV}(-1) + 3.04 \cdot \text{POPT} + 1.946 \cdot \text{GDP} - 1.485 \cdot \text{GDP}(-1)$ (29649981) (0.117) (0.657) (8.425) (12.293) $- 25.59 \cdot \text{GDP}(-2) + 7716326 \cdot \text{D7677}$ (9.81) (1908140)				
R- squared	0.985				

Banerjee, Dolado, and Master test	Banerjee St= ((0.418)-1)/(0.117) = -4.97	
long run equation	Critical: -3.57	Result: The existence of a long-run relationship is confirmed
	ICOV= -2341142 + 5.222*POPT – 43.22*GDP + 13271372*D7677 (20785053) (0.483) (8.252) (4554389.5)	
Short run equation	D(ICOV)= 3.04*D(POPT) + 1.946*D(GDP) + 25.59*D(GDP(-1)) +7716325*D7677 (0.657) (8.425) (9.810) (1908139.8) - 0.581*CointEQ(-1) (0.117)	

Table S18: ARDL model for Prepaid Private Health Expenditure

Dependent Variable	Prepaid Private Health Expenditure			
Type of regression equation	ARDL(1, 0, 1, 1)			
dynamic equation	$(PPHEXJ/HCP) = 0.383*(PPHEXJ(-1)/HCPI(-1)) + 7.845*GDP -0.047*(PIRJ/P) + (0.096) (1.376) (0.142)$ $0.384*(PIRJ(-1)/P(-1)) - 3.315*POPT + 3.08*POPT(-1) + 3143117*D9192$ (0.226) (2.220) (2.173) (456773.3)			
R-squared	0.990			
Banerjee, Dolado, and Master test	Banerjee St= ((0.383)-1)/(0.096) = -6.42 Critical: -3.91 Result: The existence of a long-run relationship is confirmed			
long run equation	$(PPHEXJ/HCPI)= 13.736*GDP + 0.547*(PIRJ/P) - 0.38*POPT + 5102305*D9192$ (1.45) (0.200) (0.116) (1023789.8)			
Short run equation	$D(PPHEXJ/HCPI)= 7.845*D(GDP) -0.047*D(PIRJ/P) -3.315*D(POPT) + 3143116*D(D9192)$ (1.37) (0.142) (2.220) (456773.3) - 0.616*CointEQ(-1) (0.096)			

Table S19: ARDL model for Commercial Health Insurance Revenue

Dependent Variable	Commercial Health Insurance Revenue			
Type of regression equation	ARDL(1, 2)			
dynamic equation	$LOG(PIRJ/P) = -6.472 + 0.769*LOG(PIRJ(-1)/P(-1)) - 0.371*LOG(GDP)$ (4.836) (0.061) (1.441) - 2.323*LOG(GDP(-1)) + 3.4*LOG(GDP(-2)) (2.281) (1.413)			
R-squared	0.0977			
Banerjee, Dolado, and Master test	Banerjee St= ((0.769)-1)/(0.061) = -3.786 Critical: -3.35 Result: The existence of a long-run relationship is confirmed			

long run equation	LOG(PIRJ/P) = -28.131 + 3.068*LOG(GDP)		
	(15.31)	(1.056)	
Short run equation			DLOG(PIRJ/P) = -0.371*DLOG(GDP) -3.4*DLOG(GDP(-1)) -0.23*CointEQ(-1)
	(1.441)	(1.413)	(0.061)

Private health expenditures equation was specified as a identity or definitional equation. This equation is calculated as the sum of out-of-pocket health expenditure and prepaid private health expenditure.

$$\text{phexj} / \text{hcpi} = \text{ohexj} / \text{hcpi} + \text{pphexj} / \text{hcpi}$$

Table S20: ARDL model for Government Health Expenditure

Dependent Variable	Government Health Expenditure		
Type of regression equation	ARDL(1, 0, 1, 2)		
	$(\text{GHEXJ}/\text{HCPI}) = 30839592 + 0.145*(\text{GHEXJ}(-1)/\text{HCPI}(-1)) + 19.26*(\text{GRJ}/\text{P})$		
	(15951117)	(0.129)	(6.255)
dynamic equation	$+ (2.65E+08)*\text{POP15R} - (3.26E+08)*\text{POP15R}(-1) + (2.63E+08)*\text{URR} - (1.83E+0.9)*\text{URR}(-1)$		
	(1.55E+08)	(1.62E+08)	(5.96E+08)
	$+ (1.60E+09)*\text{URR}(-2) - 6426336*\text{D9192} + 6647172*\text{D85}$		
	(6.25E+08)	(2346855)	(2812242)
R-squared	0.952		
Banerjee, Dolado, and Master test	Banerjee St= ((0.145)-1)/(0.129) = -6.62 Critical: -3.82 Result: The existence of a long-run relationship is confirmed		
	$(\text{GHEXJ}/\text{HCPI}) = 36080275 + 22.535*(\text{GRJ}/\text{P}) - 7163566*\text{POP15R} + 33776597*\text{URR}$		
long run equation	(18197722)	(7.366)	(22417105)
	$- 7518386*\text{D9192} + 7776750*\text{D85}$		
	(2779547.2)	(3548219.8)	
Short run equation	$\text{D}(\text{GHEXJ}/\text{HCPI}) = 19262*\text{D}(\text{GRJ}/\text{P}) + 26479364*\text{D}(\text{POP15R}) + 26286092*\text{D}(\text{URR})$		
	(6.256)	(154647486)	(595739510)
	$- 1596993*\text{D}(\text{URR}(-1)) - 6426336*\text{D}(\text{D9192}) + 6647172*\text{D}(\text{D85}) - 0.854**\text{CointEQ}(-1)$		
	(624944238)	(234685.9)	(2812241.6)
			(0.129)

Table S21: ARDL model for Social Security Organization Health Expenditure

Dependent Variable	Social Security Organization Health Expenditure		
Type of regression equation	ARDL(1, 2, 2, 0)		
dynamic equation	$(\text{SHIJ}/\text{HCPI}) = -2265926 + 0.371*(\text{SHIJ}(-1)/\text{HCPI}(-1)) + 0.048*(\text{SIRJ}/\text{P}) - 0.027*(\text{SIRJ}(-1)/\text{P}(-1))$		
	(1419754)	(0.101)	(0.015)
			(0.026)

	+0.036*(SIRJ(-2)/P(-2)) - 0.046*SICOV - 0.305*SICOV(-1) + 0.404*SICOV(-2) +
	(0.019) (0.154) (0.290) (0.176)
	69655552*POP60R + 1211763*D5456 + 1613306*D8687
	(30579493) (339164.7) (448541.4)
R-squared	0.988
Banerjee, Dolado, and Master test	Banerjee St= ((0.371)-1)/(0.101) = -6.227
	Critical: -3.82 Result: The existence of a long-run relationship is confirmed
long run equation	(SHIJ/HCPI) = -3607112 + 0.091*(SIRJ/P) + 0.083*SICOV + 11088415*POP60R +
	(2413274) (0.011) (0.031) (52254709)
	1928997*D5456 + 2568211*D8687
	(556008.5) (718771.7)
Short run equation	D(SHIJ/HCPI) = 0.048*D(SIRJ/P) - 0.036*D(SIRJ(-1)/P(-1)) - 0.046*D(SICOV) -
	(0.015) (0.019) (0.154)
	0.404*D(SICOV(-1)) + 69655522*D(POP60R) + 1211763*D(D5456) + 1613306*D(D8687)
	(0.176) (30579493) (339164.68) (448541.36)
	- 0.628*CointEQ(-1)
	(0.101)

Table S22: ARDL model for Social Security Organization Insurance Coverage

Dependent Variable	Social Security Organization Insurance Coverage			
Type of regression equation	ARDL(1, 2, 0, 0)			
dynamic equation	LOG(SICOV)=-6.451+ 0.735*LOG(SICOV(-1))+ 6.841*LOG(POPT) -15.479*LOG(POPT(-1))			
	(1.423) (0.046) (5.97) (12.01)			
R-squared	+9.779*LOG(POPT(-2)) + 0.187*LOG(GDP) - 0.729*LOG(L) - 0.185*D65			
	(6.187) (0.033) (0.108) (0.026)			
long run equation	0.998			
	Banerjee St= ((0.735)-1)/(0.046) = - 5.76			
	Critical: -3.57 Result: The existence of a long-run relationship is confirmed			
short run equation	LOG(SICOV) = -24.349 + 4.309*LOG(POPT) + 0.708*LOG(GDP) - 2.752*LOG(L)			
	(1.829) (0.406) (0.134) (0.505)			
	-0.698*D65			
	(3161606.6)			
	DLOG(SICOV) = 6.841*DLOG(POPT) - 9.779*DLOG(POPT(-1)) + 0.187*DLOG(GDP)			
	(5.978) (6.187) (0.033)			
	-0.729*DLOG(L) - 0.185*D(D65) - 0.264*CointEQ(-1)			

	(0.108)	(0.026)	(0.046)
--	---------	---------	---------

Table S23: ARDL model for Social Security Organization Revenue

Dependent Variable	Social Security Organization Revenue			
Type of regression equation	ARDL(1, 0, 0, 0)			
dynamic equation	$\text{LOG(SIRJ/P)} = -9.264 + 0.522*\text{LOG(SIRJ(-1)/P(-1))} + 0.887*\text{LOG(GDP)}$ (1.922) (0.083) (0.203) $+ 0.39*\text{LOG(L)} - 0.124*\text{LOG(XORJ/P)} + 0.558*D5960 + 0.284*D9395$ (0.183) (0.054) (0.112) (0.112)			
R-squared	0.976			
Banerjee, Dolado, and Master test	Banerjee St= ((0.522)-1)/(0.083) = - 5.75 Critical: -3.82 Result: The existence of a long-run relationship is confirmed $\text{LOG(SIRJ/P)} = -19.40 + 1.858*\text{LOG(GDP)} + 0.817*\text{LOG(L)} - 0.26*\text{LOG(XORJ/P)}$ (2.267) (0.383) (0.325) (0.109)			
long run equation	$+ 1.17*D5960 + 0.596*D9395$ (0.263) (0.23) $\text{DLOG(SIRJ/P)} = 0.887*\text{DLOG(GDP)} + 0.39*\text{DLOG(L)} - 0.124*\text{DLOG(XORJ/P)}$ (0.203) (0.183) (0.054)			
Short run equation	$+ 0.558*D(D5960) + 0.284*D(D9395) - 0.477*\text{CointEQ}(-1)$ (0.112) (0.112) (0.083)			

Public health expenditures equation was specified as a identity or definitional equation. This equation is calculated as the sum of government health expenditure and Social Security Organization health expenditure.

$$\text{pubhexj / hcpi} = \text{ghexj / hcpi} + \text{shij / hcpi}$$

Finally, total health expenditures have been calculated using the following equation as the sum of public health expenditures and private health expenditures.

$$\text{thexj / hcpi} = \text{pubhexj / hcpi} + \text{phexj / hcpi}$$